

"The only legitimate use of a computer is to play games."

Eugene Jarvis

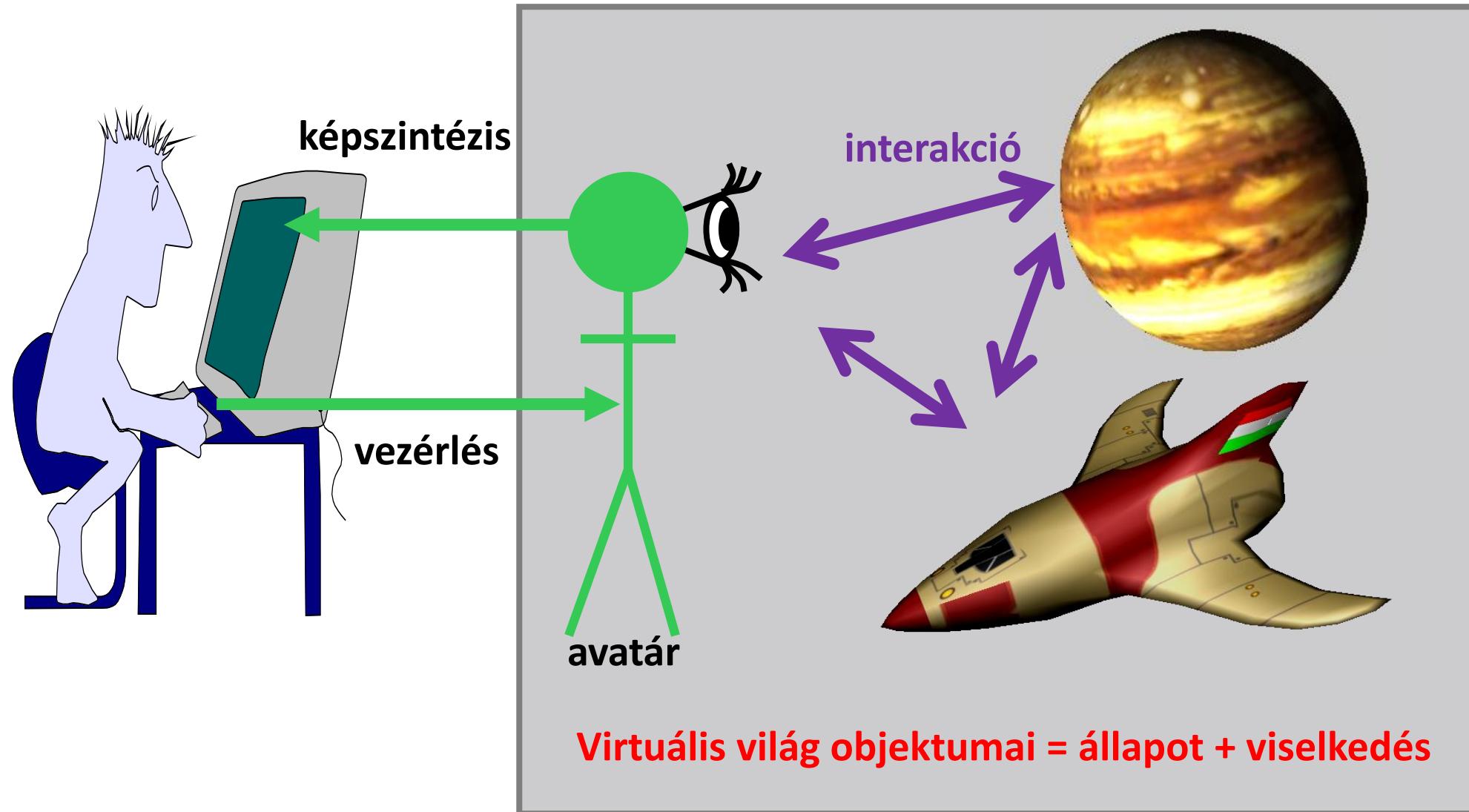
Játékfejlesztés

Szirmay-Kalos
László





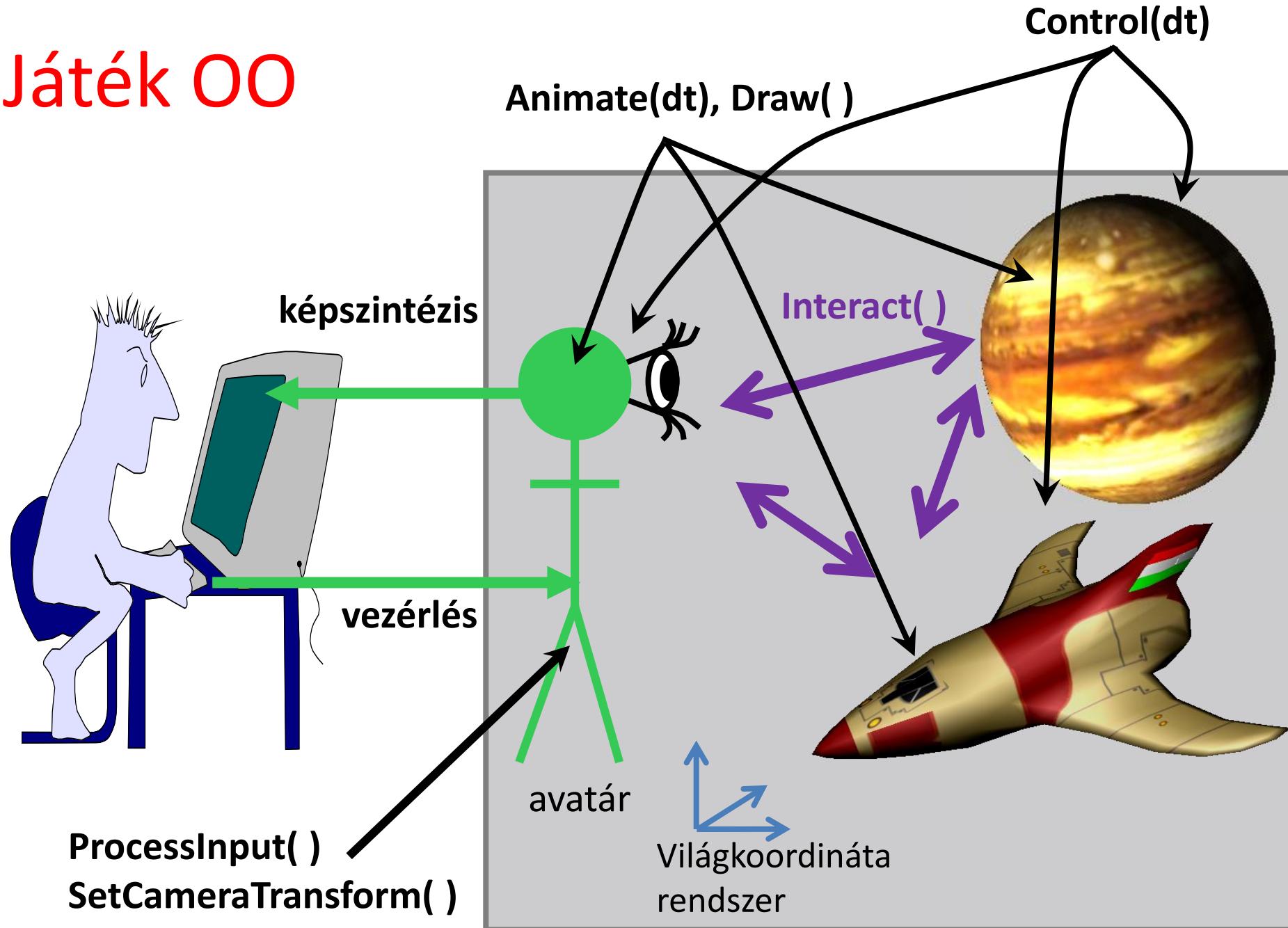
Virtuális valóság



Játékok feladatai

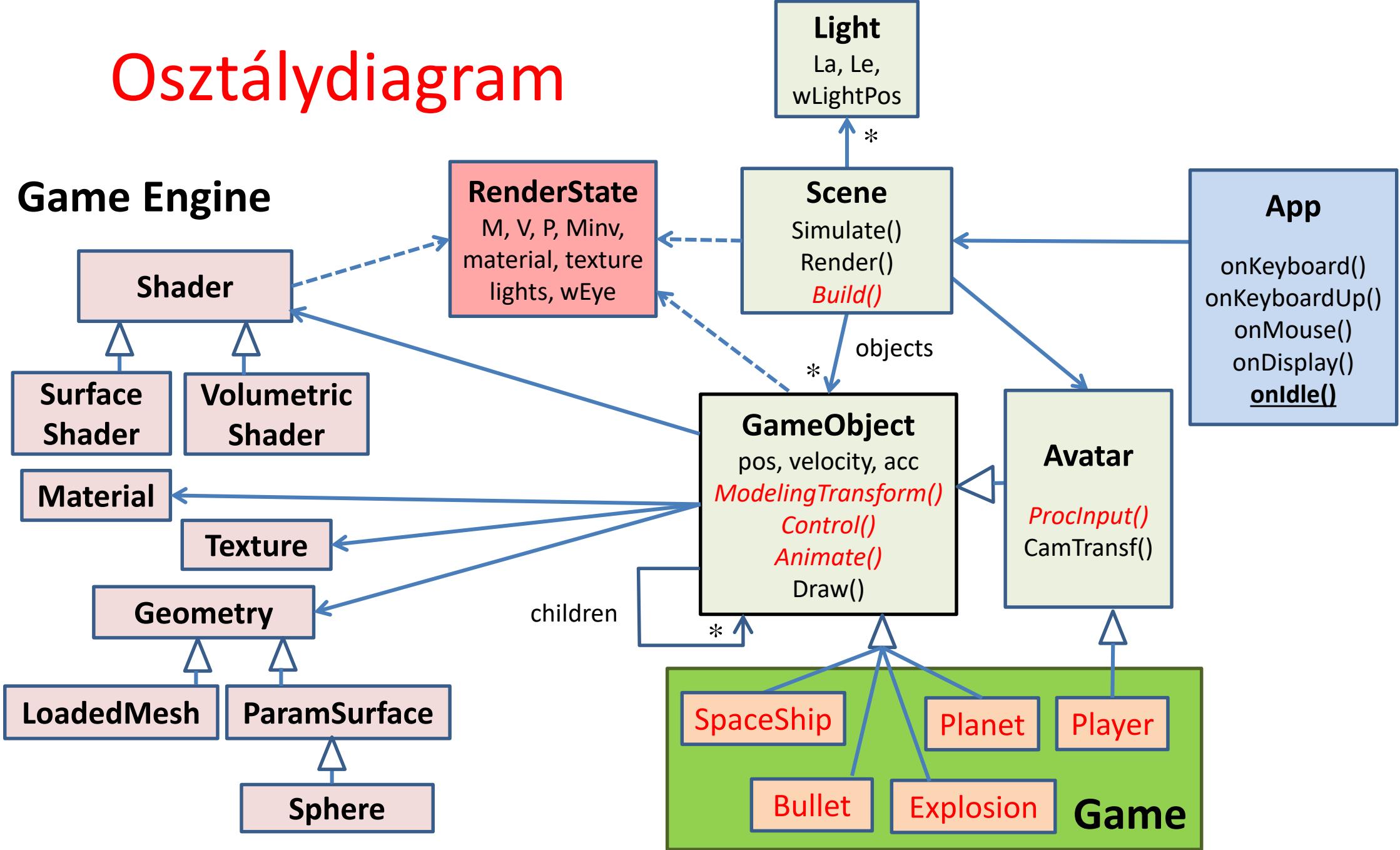
- Képszintézis az avatár nézőpontjából:
 - 1 szem, sztereo, autosztereo
- Az avatár vezérlése a beviteli eszközökkel:
 - keyboard, mouse, Wii, gépi látás, Kinect, VR sisak, stb.
- Az „intelligens” objektumok vezérlése (AI)
 - állapotgép
- A fizikai világ szimulációja
 - Newtoni fizika

Játék OO



Osztálydiagram

Game Engine

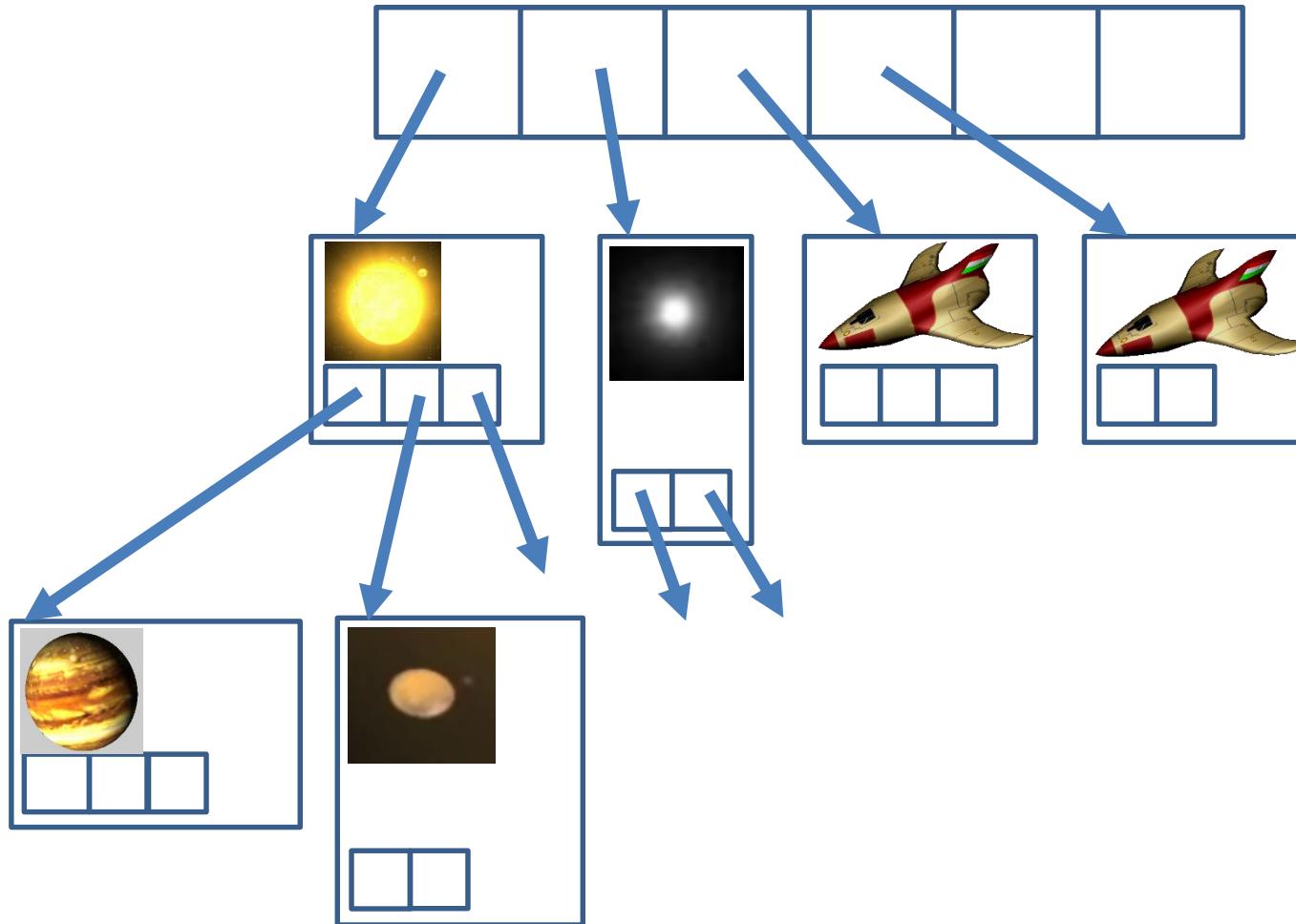


Játékobjektum (GameObject)

```
class GameObject {  
protected:  
    Shader * shader;  
    Material * material;  
    Texture * texture;  
    Geometry * geometry;  
    vec3 pos, velocity, acceleration;  
    vector<GameObject *> children;  
    virtual void ModelingTransform(mat4& M, mat4& Minv) { M = Minv = UnitMatrix(); }  
public:  
    GameObject(Shader* s, Material* m, Texture* t, Geometry* g) { ... }  
    virtual void Control(float dt) { }  
    virtual void Animate(float dt) { }  
    virtual void Draw(RenderState state) { // parameter by value to separate objects  
        mat4 M, Minv;  
        ModelingTransform(M, Minv);  
        state.M = M * state.M; state.Minv = state.Minv * Minv;  
        state.material = material; state.texture = texture;  
        shader->Bind(state); // uniform variable setting  
        geometry->Draw(); // triangles go down the pipeline  
        for (Object * child : children) child->Draw(state);  
    }  
};
```

Virtuális világ

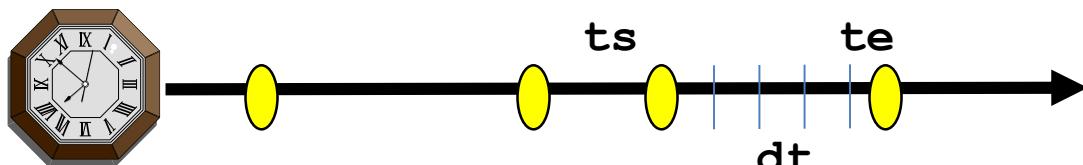
```
vector<GameObject *> objects;
```



Szimulációs hurok (Game loop)

```
void onIdle ( ) { // idle call back
    static float tend = 0;
    float tstart = tend;
    tend = glutGet(GLUT_ELAPSED_TIME);
    scene.Simulate(tstart, tend, keys); →
    glutPostRedisplay();
}

void onDisplay(){
    glClear(GL_COLOR_BUFFER_BIT |
            GL_DEPTH_BUFFER_BIT);
    scene.Render(); →
    glutSwapBuffers();
}
```



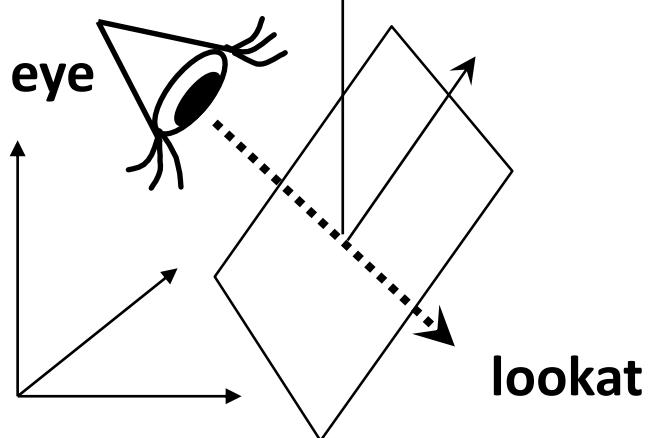
```
void Scene::Simulate(float ts, float te, bool keys[])
{
    avatar->ProcInput(keys);
    for(float t = ts; t < te; t += dt) {
        float Dt = min(dt, te - t);
        for (GameObject * o : objects) o->Control(Dt);
        for (GameObject * o : objects) o->Animate(Dt);
    }
}
```

```
void Scene::Render( )
{
    RenderState state; // M=Minv=UnitMatrix();
    avatar->SetCameraTransform(state);
    for (GameObject * o : objects) o->Draw(state);
}
```

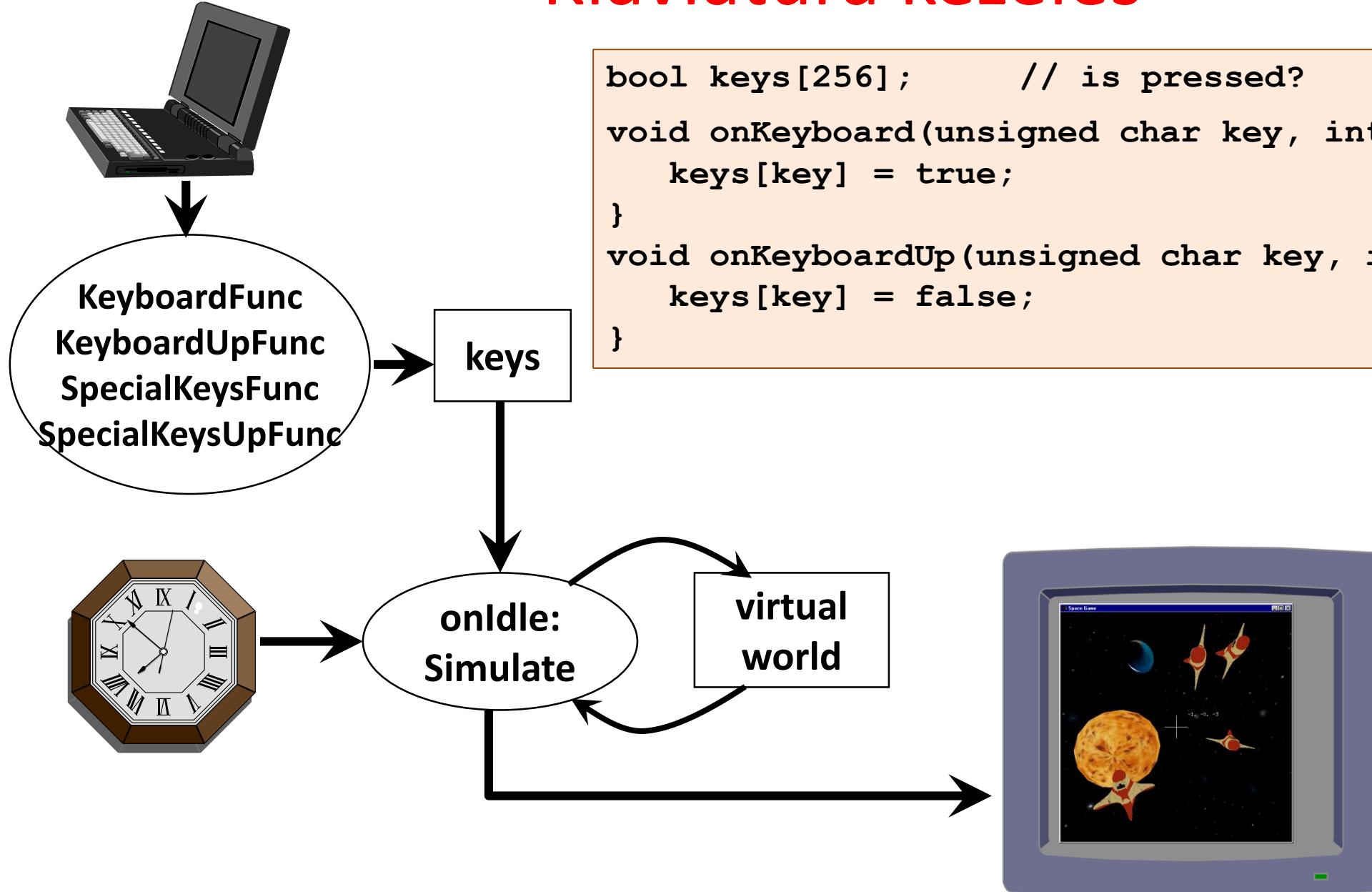
Avatar

```
struct Avatar : public GameObject {  
    virtual void ProcessInput() { }  
    virtual vec3 wVup() { return vec3(0, 1, 0); }  
    void SetCameraTransform(RenderState& state) {  
        Camera camera(pos, pos + velocity, wVup());  
        state.V() = camera.V();  
        state.P() = camera.P();  
    }  
};
```

wVup = [0, 1, 0] vagy a gyorsulásból és a korábbi wVup átlagából



Klaviatúra kezelés



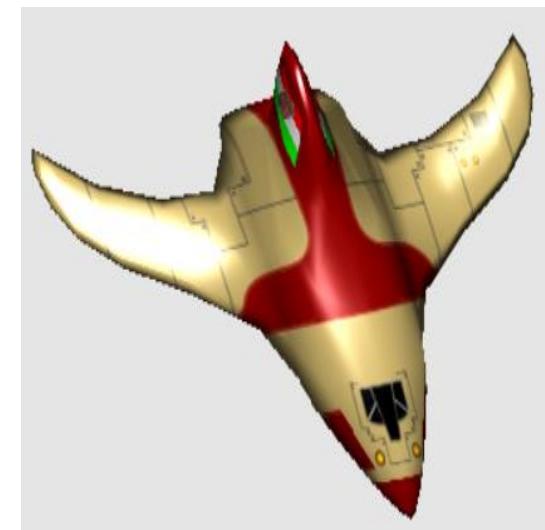
*"Be van fejezve a nagy mű, igen.
A gép forog, az alkotó pihen.
Évmilliókig eljár tengelyén,
Míg egy kerékfogát ujítni kell."*

Madách Imre

Játékfejlesztés

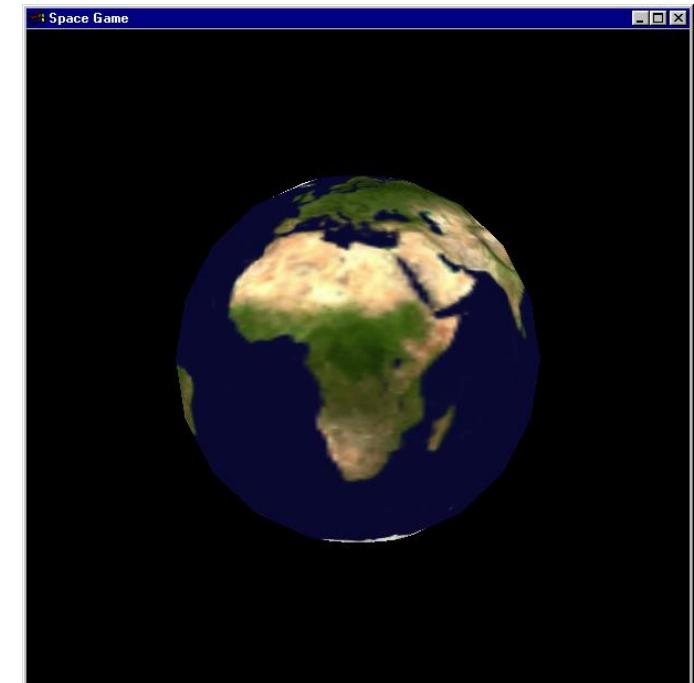
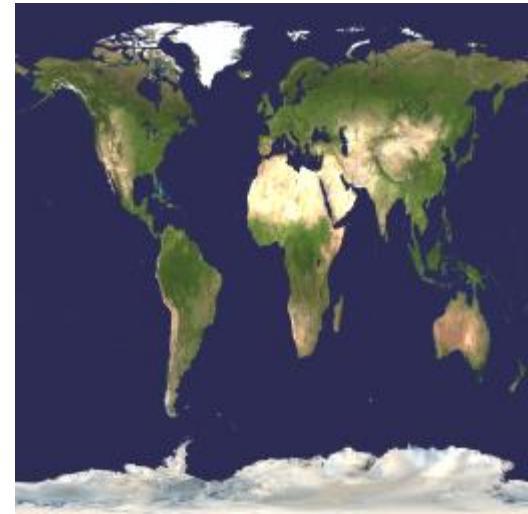
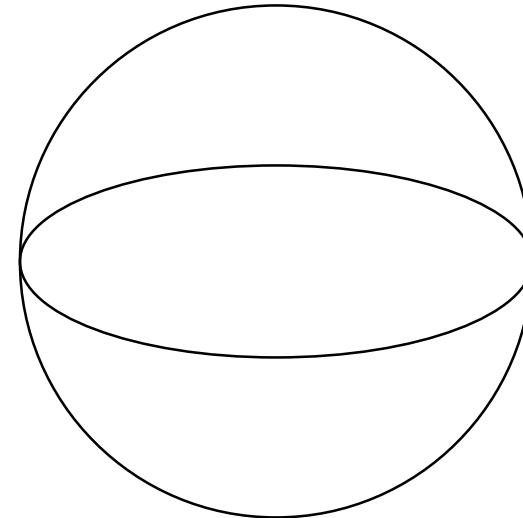
2. Játékobjektumok

Szirmay-Kalos László



Bolygó: Planet

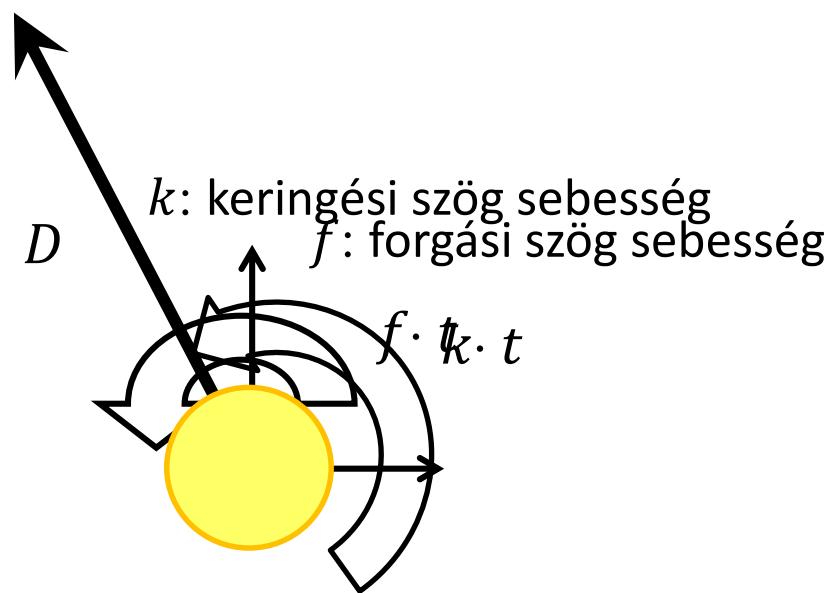
- Geometria: gömb
- Textúra
- Animáció:
 - Fizikai:
 - Tájékozódik majd követi a gravitációs törvényt
 - Képletanimáció:
 - „beégetett pálya”
 - Többiek érdektelenek
 - Nincs respektált törvény





Animate:

A Föld forog és kering a Nap körül



$$M = \begin{bmatrix} \cos(f \cdot t) & \sin(f \cdot t) & 0 & 0 \\ -\sin(f \cdot t) & \cos(f \cdot t) & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}.$$

$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos(23^\circ) & \sin(23^\circ) & 0 \\ 0 & -\sin(23^\circ) & \cos(23^\circ) & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}.$$

$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ D \cos(k \cdot t) & D \sin(k \cdot t) & 0 & 1 \end{bmatrix}$$

Planet

```
const vec3 X(1,0,0), Z(0,0,1);

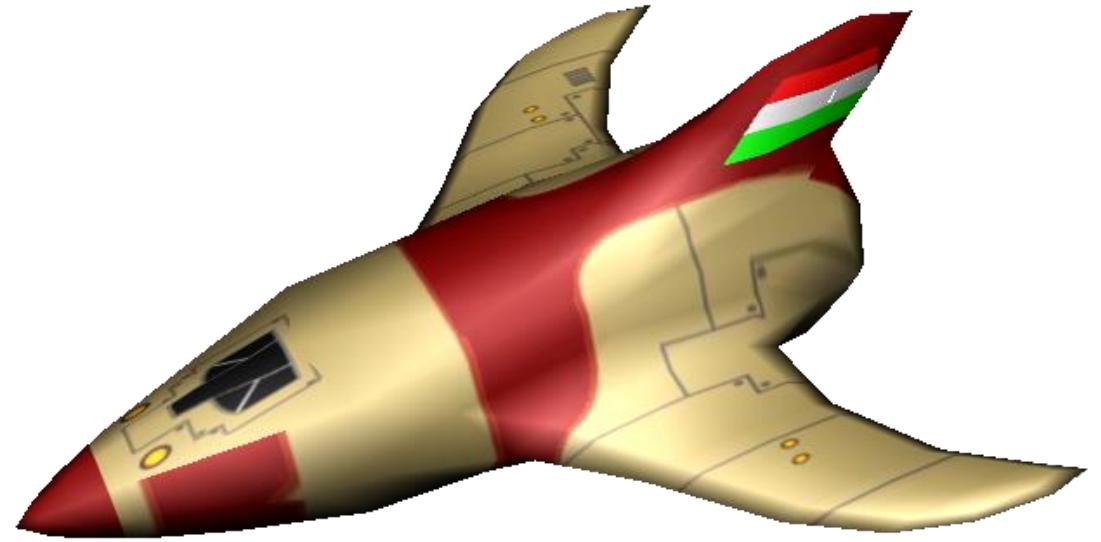
class Planet : public GameObject {
    float rotAng = 0, revAng = 0; // animation state
    float rotVel, revVel, tilt, D; // animation parameter
public:
    Planet(float _rotVel, float _revVel, float _tilt, float _D) { ... }

    void Animate(float dt) {
        rotAng += rotVel * dt;
        revAng += revVel * dt;
    }

    void ModelingTransform(mat4& M, mat4& Minv) {
        vec3 p = vec3(cos(revAng), sin(revAng), 0) * D;
        M = RotationMatrix(rotAng, Z) * RotationMatrix(tilt, X) * TranslateMatrix(p);
        Minv = TranslateMatrix(-p) * RotationMatrix(-tilt,X) * RotationMatrix(-rotAng,Z);
    }
};
```

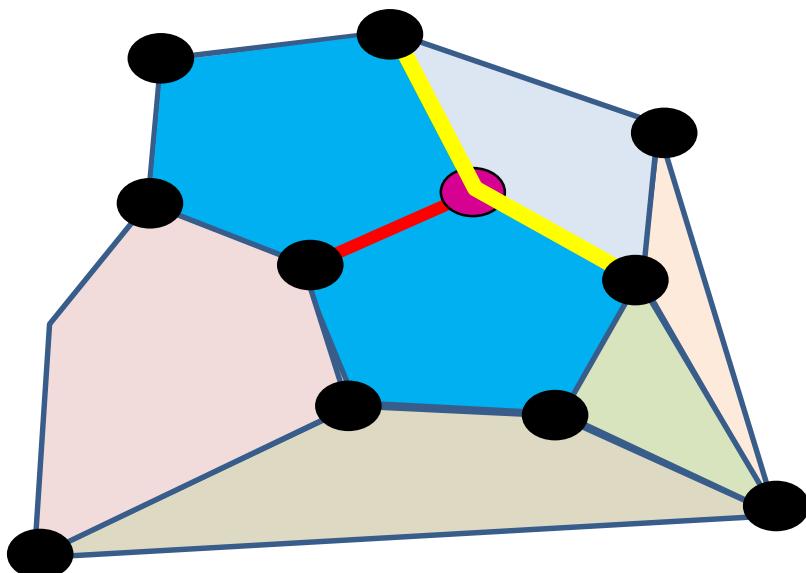
Az Úrhajó

- Komplex geometria
 - négyszögháló
- Komplex textúra
- Fizikai animáció
 - erők (gravitáció, rakéták)
 - ütközések
- Viselkedés (AI)
 - A rakéták vezérlése
 - Ütközés elkerülés, avatártól menekülés, avatár üldözése



Az Euler karakterisztika invariáns: csúcs - él + lap = χ

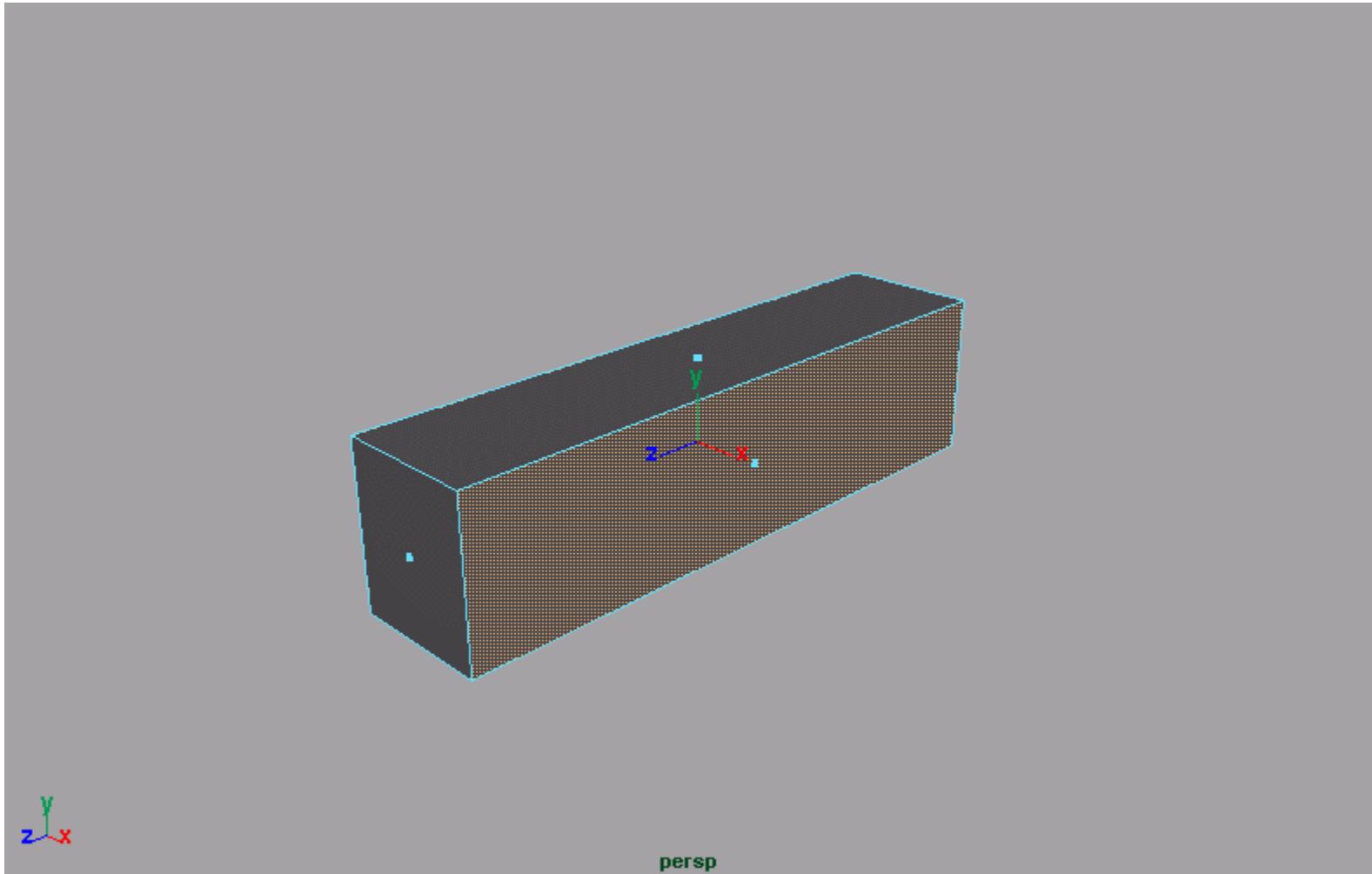
χ csak felület topológiájától függ, amelyre a csúcsokat, éleket és lapokat felrajzoltuk.



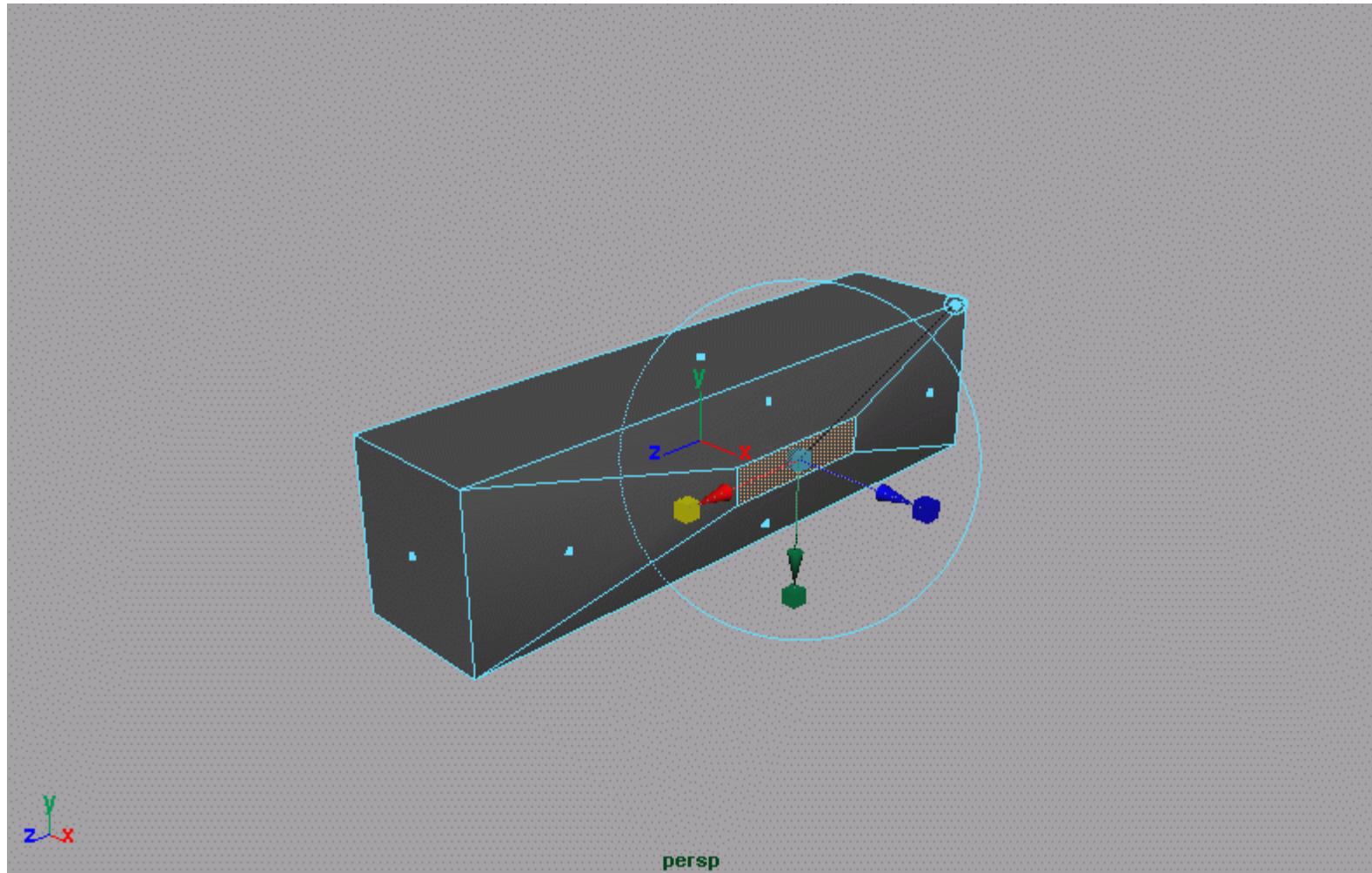
$$\frac{\text{csúcs} - \text{él} + \text{lap}}{+1 \quad -1}$$
$$-1 \quad +1$$

Úrhajó geometria

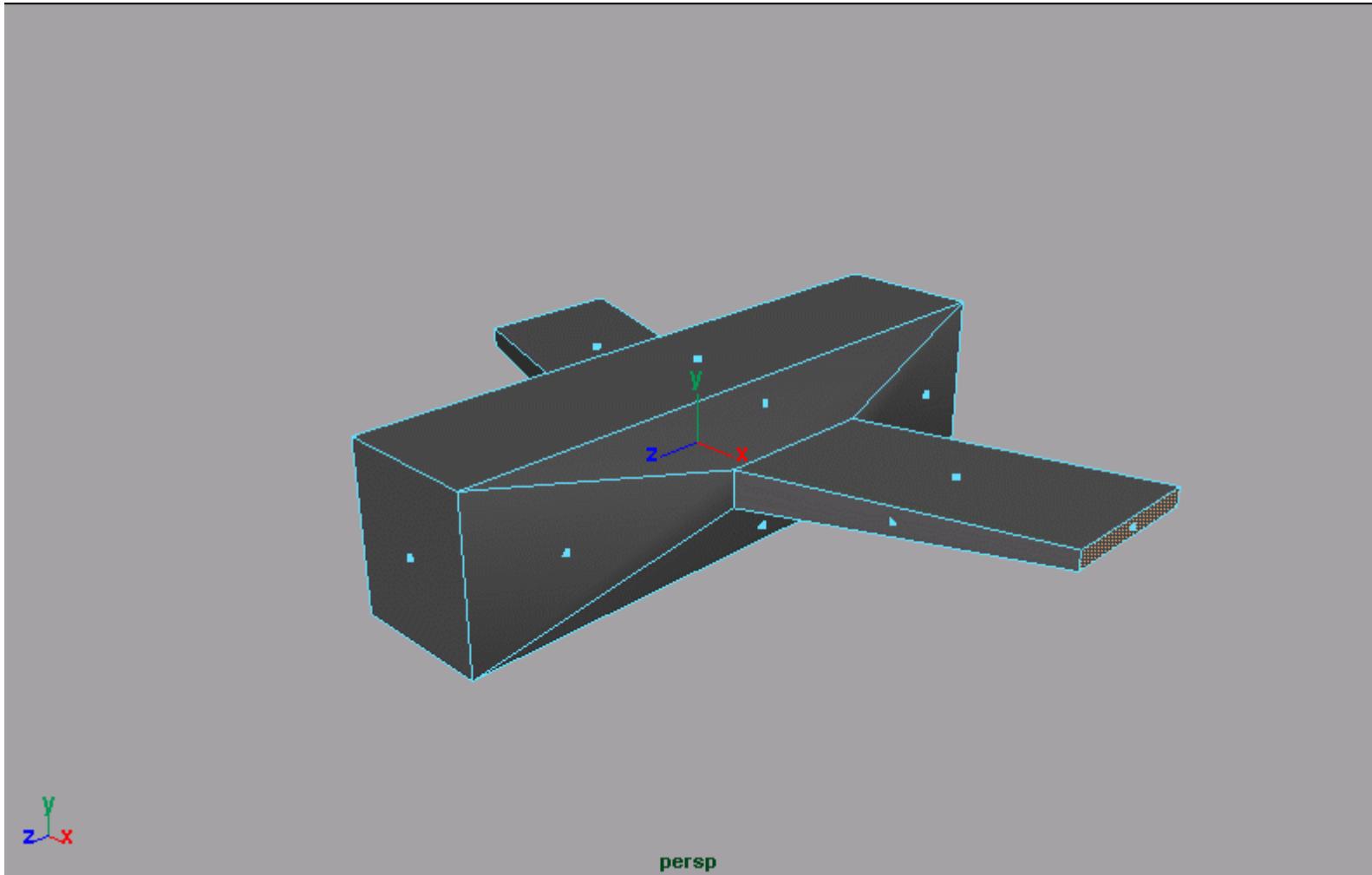
Euler műveletek: csúcs + lap = él + 2



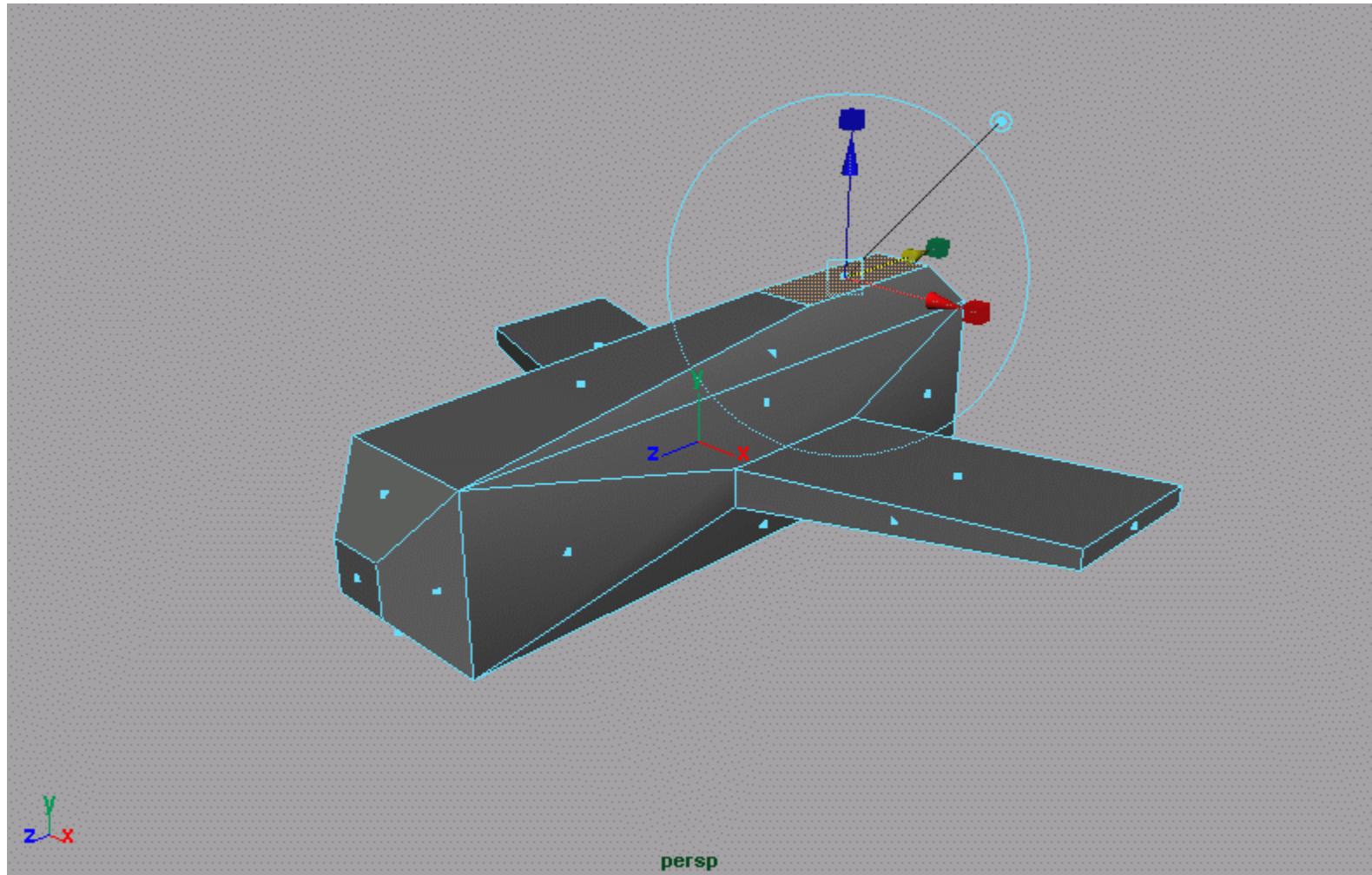
Úrhajó geometria



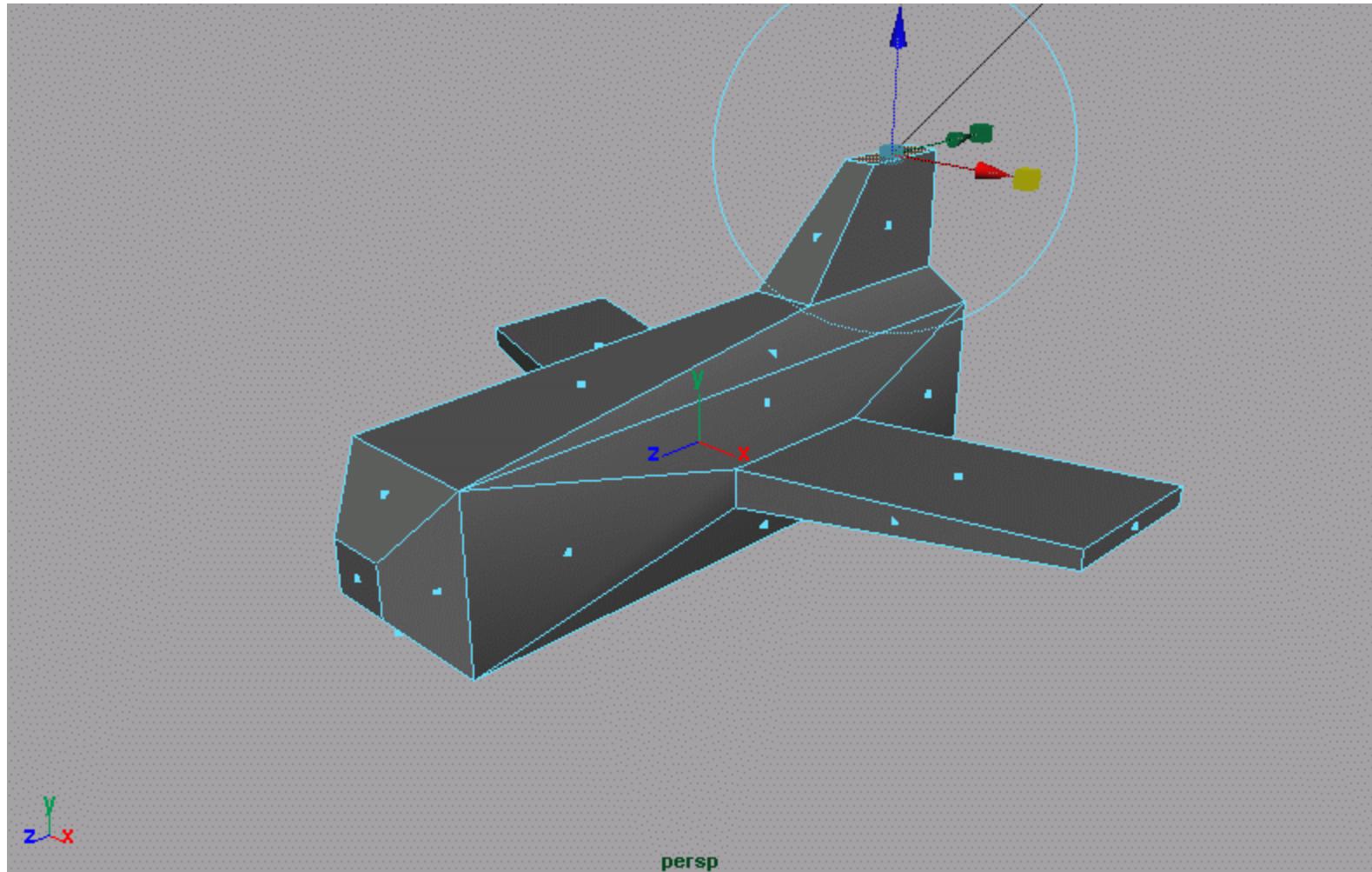
Úrhajó geometria



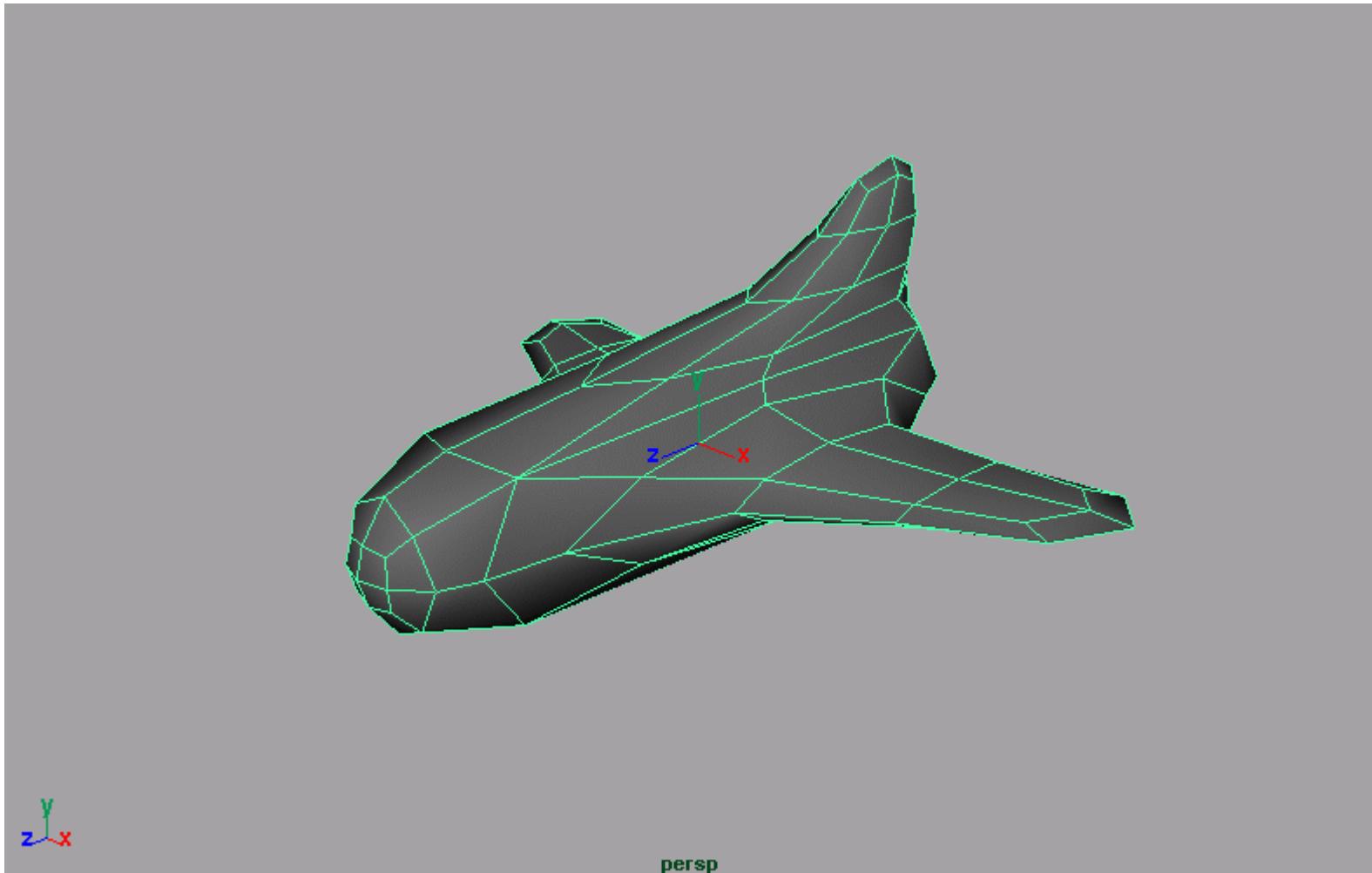
Úrhajó geometria



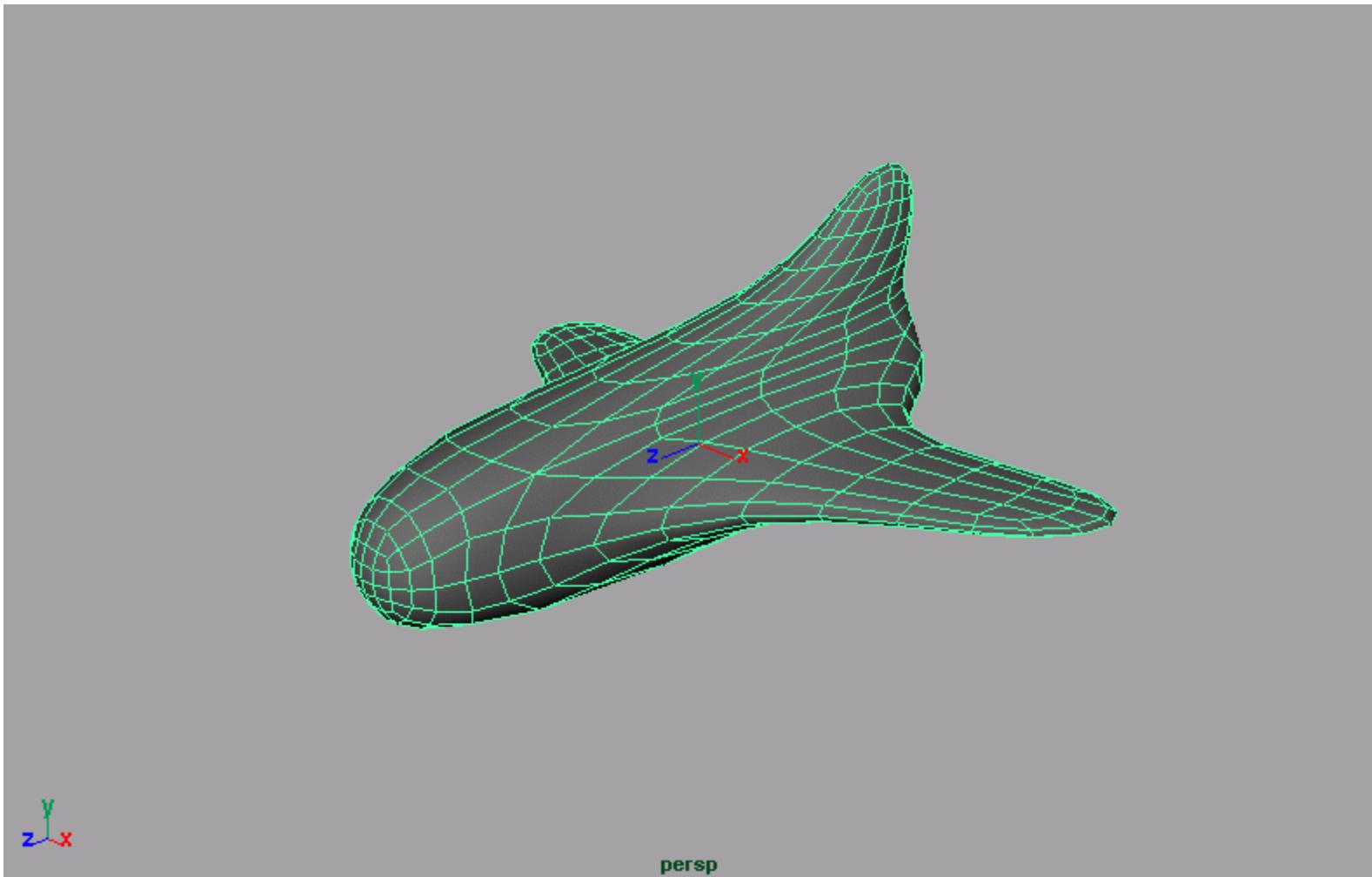
Úrhajó geometria



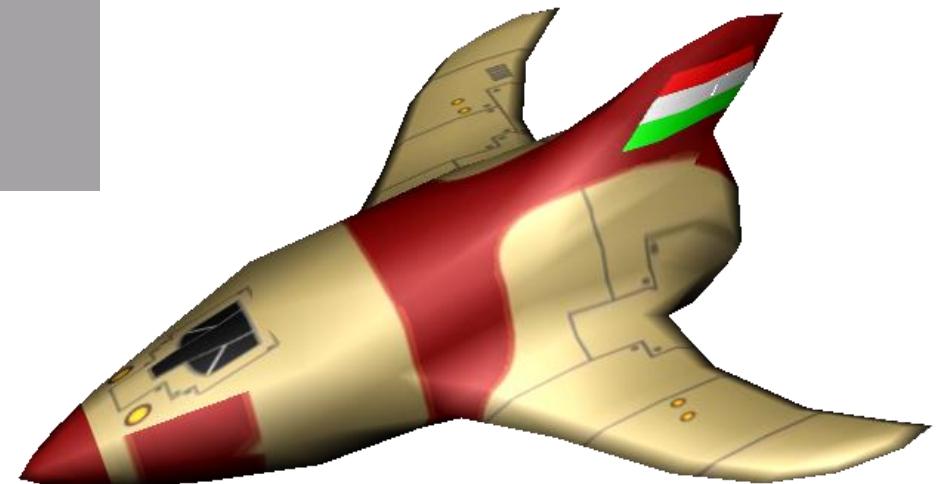
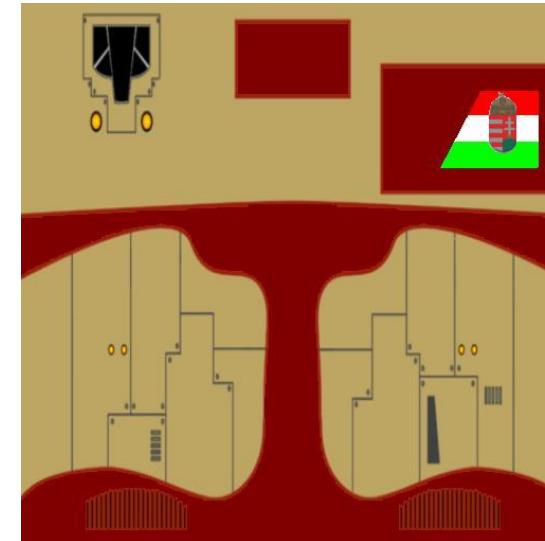
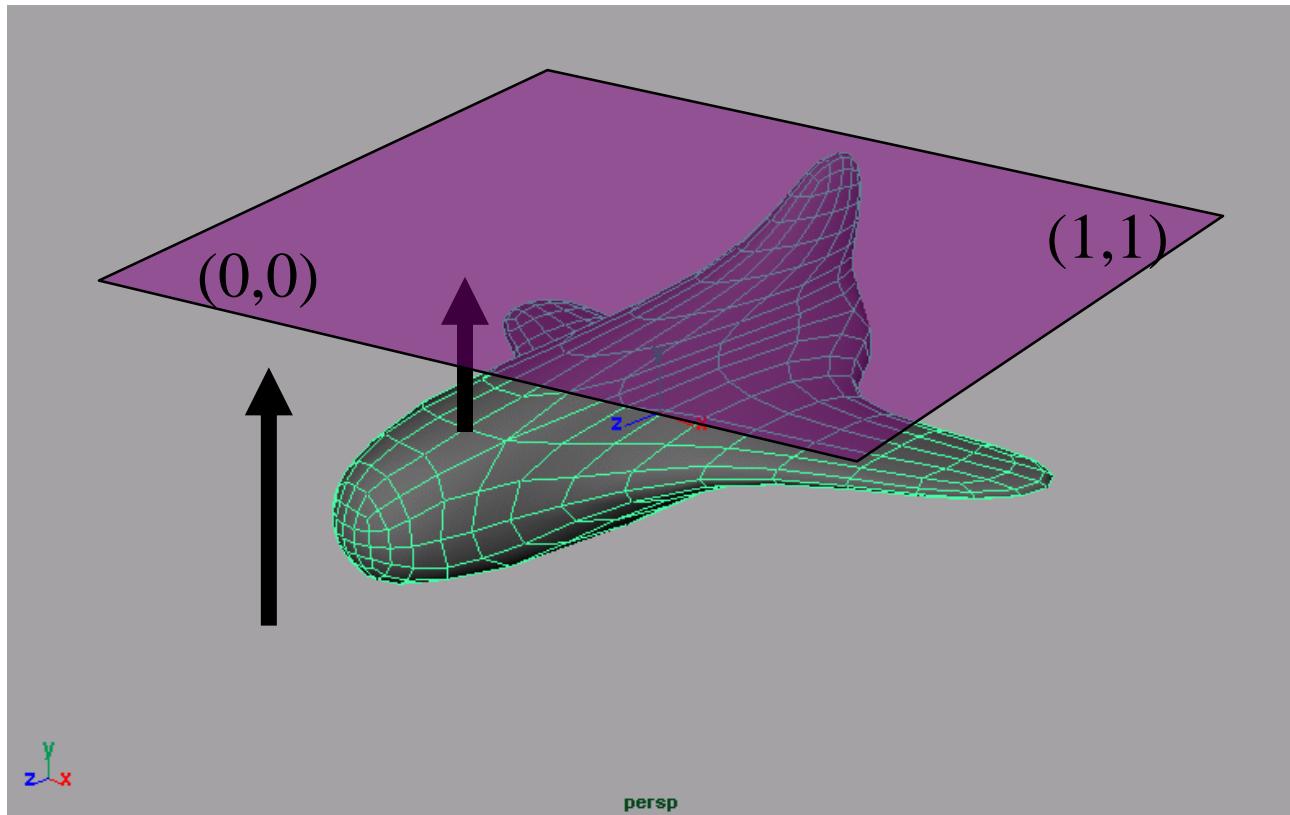
Úrhajó geometria: Catmull-Clark subdivision



Úrhajó geometria: Catmull-Clark subdivision



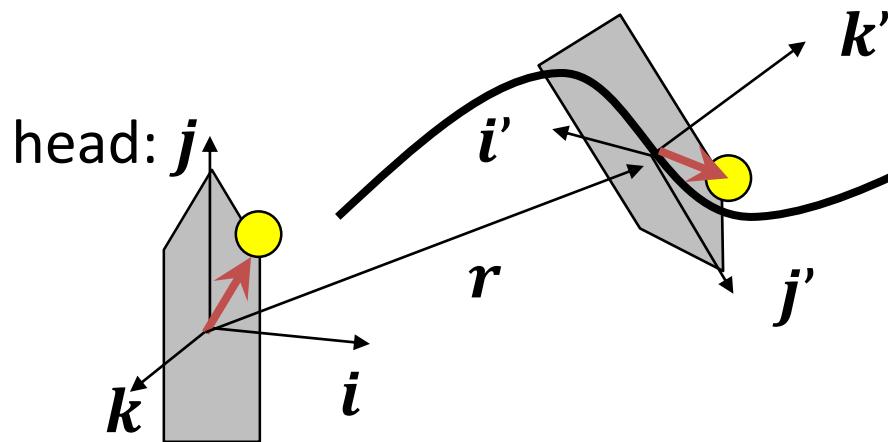
Textúrához paraméterezés



OBJ fájlformátum

```
v -0.708698 -0.679666 2.277417
v 0.708698 -0.679666 2.277417
v -0.735419 0.754681 2.256846
...
vt 0.510655 0.078673
vt 0.509594 0.070000
vt 0.496429 0.079059
...
vn -0.843091 0.000000 0.537771
vn -0.670151 -0.543088 0.505918
vn -0.000000 -0.783747 0.621081
...
f 65/1/1 37/2/2 62/3/3 61/4/4
f 70/8/5 45/217/6 67/218/7 66/241/8
f 75/9/9 57/10/10 72/11/11 71/12/12
...
```

Animate: Frenet frame + Newton 2



$$M = \begin{bmatrix} i' & 0 \\ j' & 0 \\ k' & 0 \\ r & 1 \end{bmatrix}$$



Orientáció, nem ortonormált:

$$j' = v,$$

$$k^* = k'(1 - \alpha) + a\alpha,$$

$$i' = j' \times k^*$$

Gram-Schmidt ortogonalizáció:

$$j' = v/|v|,$$

$$i' = j' \times k^*/|j' \times k^*|,$$

$$k' = i' \times j'$$

Dinamikai szimuláció:

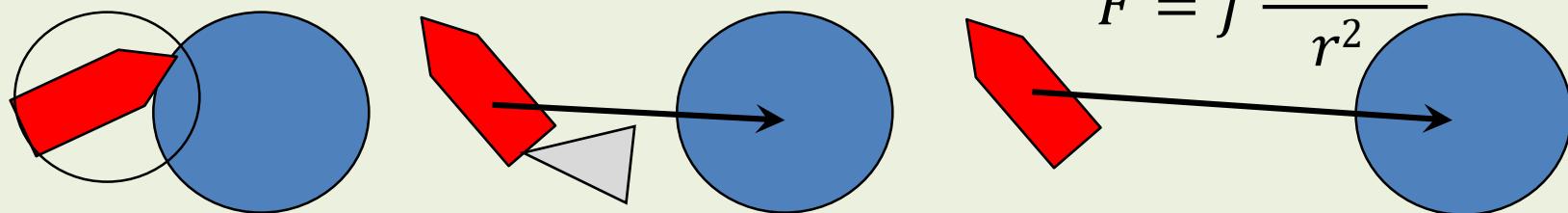
$$F = ma, \quad a = \frac{dv}{dt}, \quad v = \frac{dr}{dt}$$



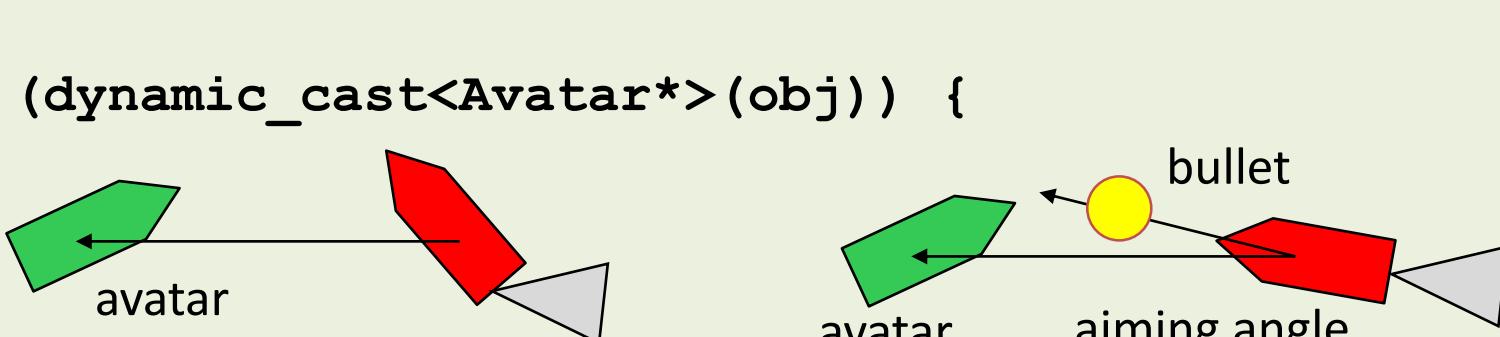
$$a = \frac{\textcolor{red}{F}}{m}, \quad v += a\Delta t, \quad r += v\Delta t$$

Ship :: Control

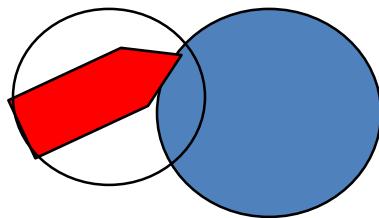
```
void Ship :: Control( float dt ) {
    force = vec3(0, 0, 0);
    for (GameObject * obj : objects) {
        if (dynamic_cast<Planet*>(obj)) {
            }
        if (dynamic_cast<Avatar*>(obj)) {
            }
    }
}
```



$$F = f \frac{m \cdot M}{r^2}$$

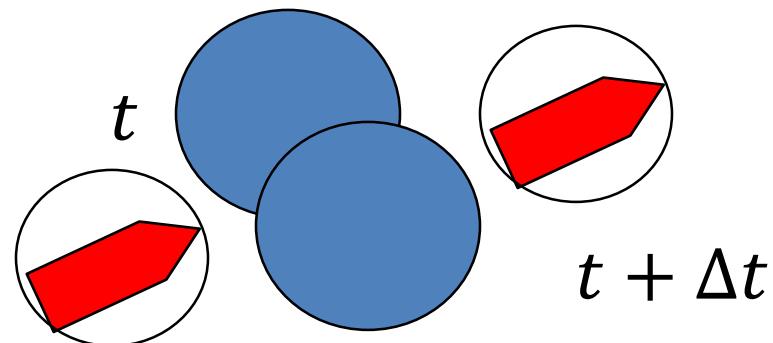


Ütközésdetektálás: lassú objektumok



adott t

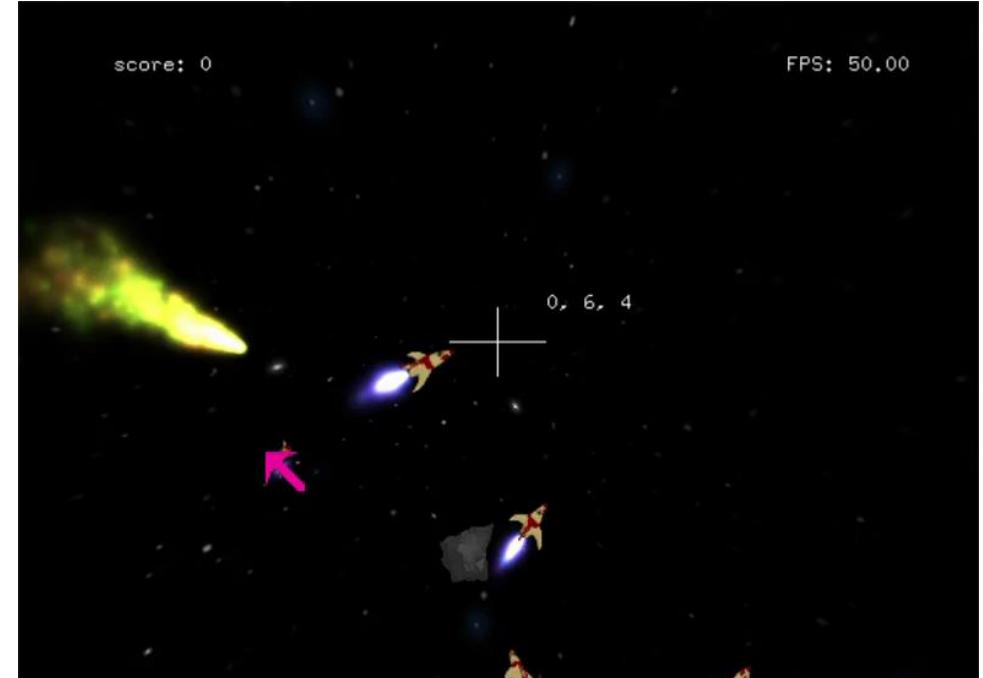
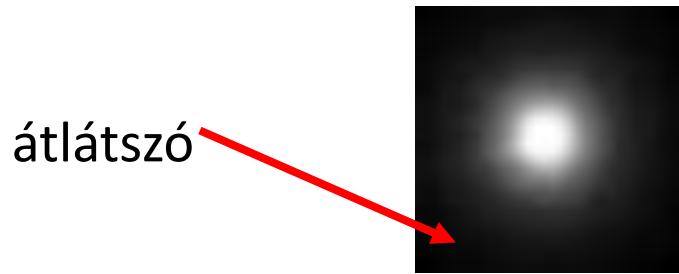
Probléma, ha az objektum gyors



```
dist = length(obj1.pos - obj2.pos)
minDist = obj1.BoundingRadius() + obj2.BoundingRadius()
if (dist < minDist) Collision!
```

Foton torpedó

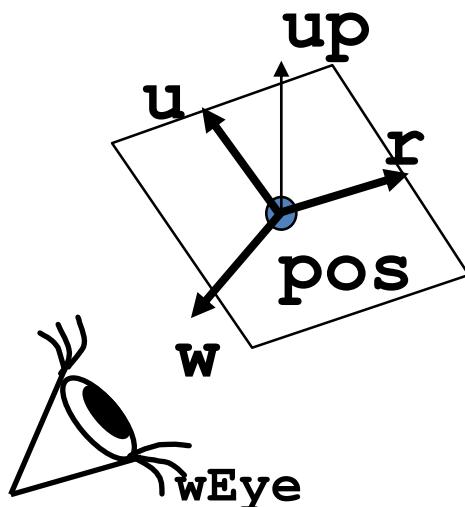
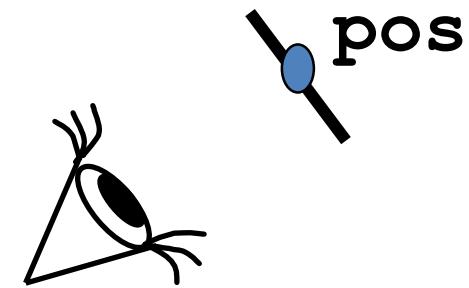
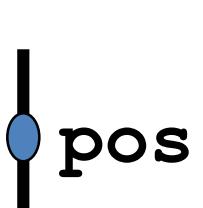
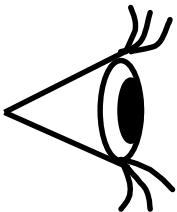
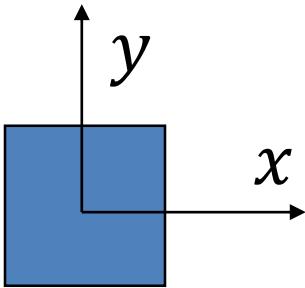
- Nagyon komplex geometria
- Hasonló kinézet minden irányból
- Könnyebb a képet használni



- Ütközésdetektálás = gyors mozgás

Billboard

Egyetlen fél átlátszó textúra egy téglalapon



```
vec3 w = wEye - pos;  
vec3 r = cross(w, up);  
vec3 u = cross(r, w);  
r = normalize(r) * size;  
u = normalize(u) * size;
```

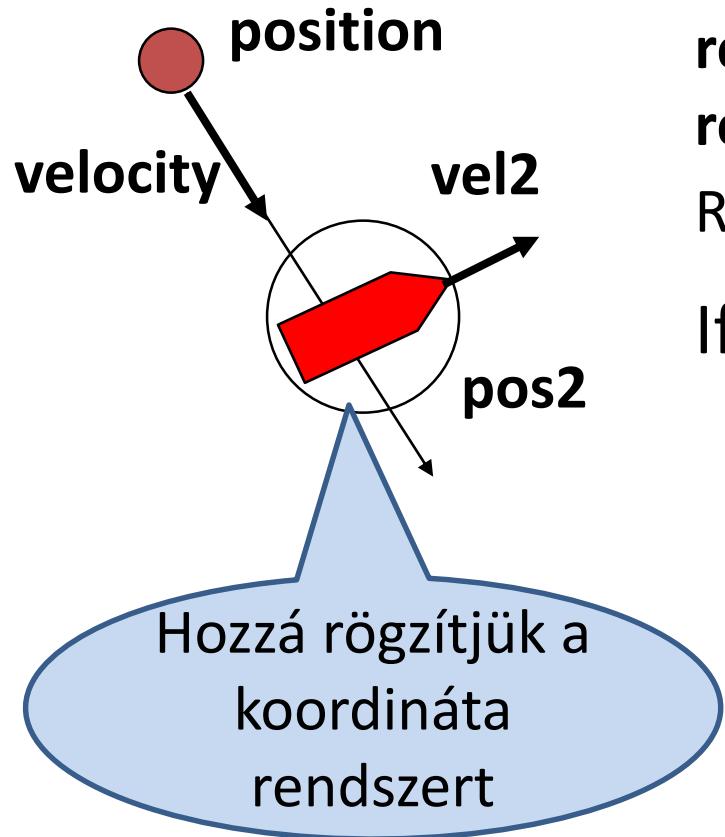


Billboard

```
void Bullet :: ModelingTransform(mat4& M, mat4& Minv) {
    vec3 up = vec3(0, 1, 0);
    vec3 w = state.wEye - pos;
    vec3 r = cross(w, up);
    vec3 u = cross(r, w);
    r = normalize(r) * size;
    u = normalize(u) * size;
    M = mat4(r.x, r.y, r.z, 0,
              u.x, u.y, u.z, 0,
              0, 0, 1, 0, // z is zero: don't care
              pos.x, pos.y, pos.z, 1);
    Minv = ...;
}

void Bullet :: Draw(RenderState state) {
    glEnable(GL_BLEND);           // transparency
    glBlendFunc(GL_SRC_ALPHA, GL_ONE_MINUS_SRC_ALPHA);
    GameObject::Draw(state);
    glDisable(GL_BLEND);
}
```

Gyors (folytonos) ütközés detektálás



$$\text{rel_pos} = \text{position} - \text{pos2}$$

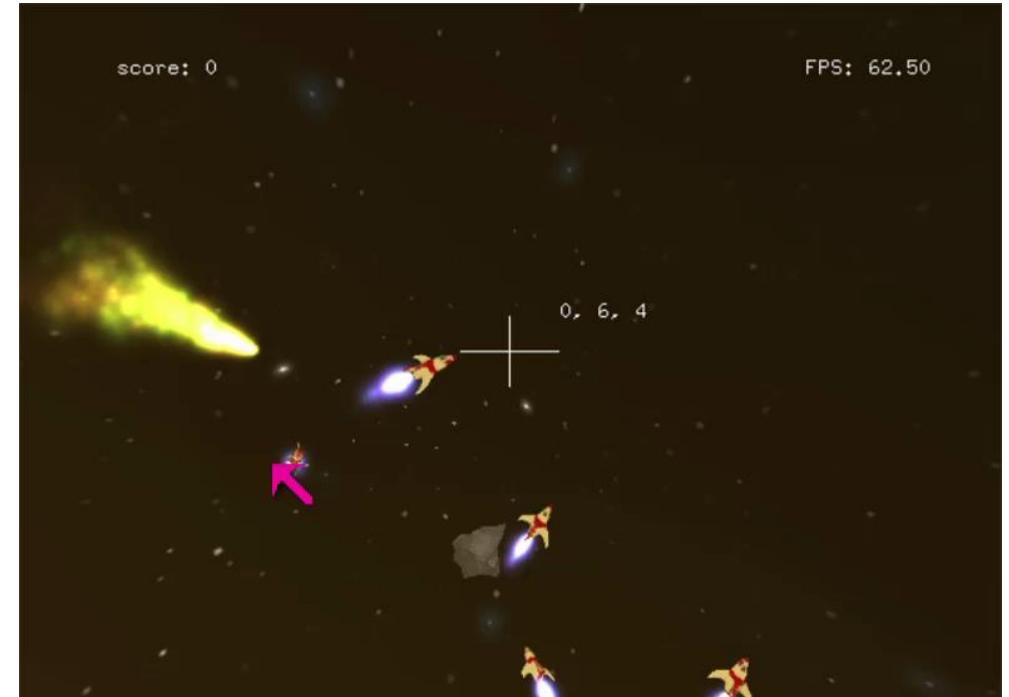
$$\text{rel_velocity} = \text{velocity} - \text{vel2}$$

$$\text{Ray: } \text{rel_pos} + \text{rel_velocity} \cdot t$$

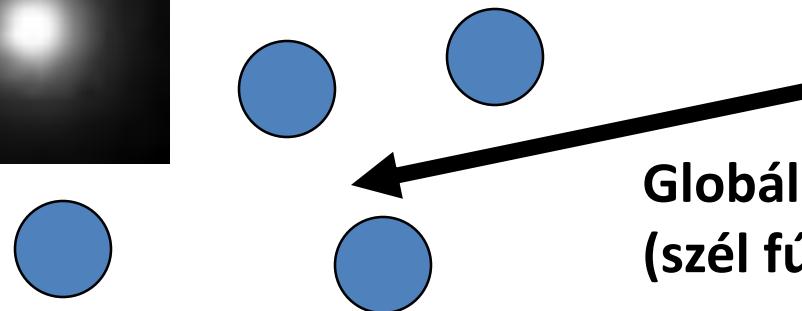
If (ray intersects bounding sphere first
&& $t_{\text{intersect}} < dt$) ***Collision!***

Robbanás

- Nagyon komplex geometria
- Hasonló kinézet minden irányból
- Plakátgyűjtemény
- Részecske rendszer

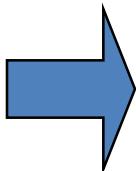


Részecske rendszerek



Globális erőtér
(szél fújja a füstöt)

Véletlen
Kezdeti
értékek



pos:
velocity:
acceleration:
lifetime
age:

size, dsize:
weight, dweight:
color, dc当地色:

$\text{pos} += \text{velocity} * \text{dt}$
 $\text{velocity} += \text{acceleration} * \text{dt}$
 $\text{acceleration} = \text{force} / \text{weight}$

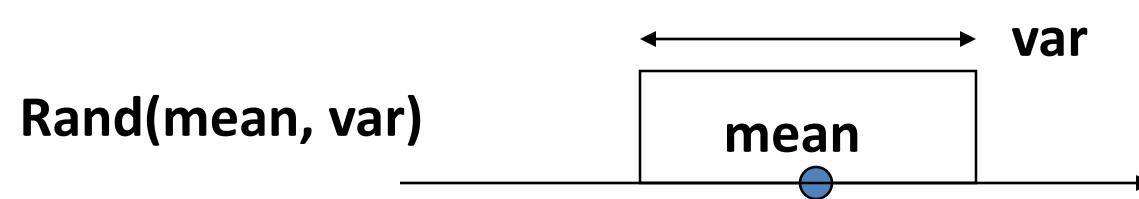
 $\text{age} += \text{dt}; \text{if } (\text{age} > \text{lifetime}) \text{ Kill();}$

 $\text{size} += \text{dsize} * \text{dt};$
 $\text{weight} += \text{dweight} * \text{dt}$
 $\text{color} += \text{dc当地色} * \text{dt}$





Robbanás paraméterei



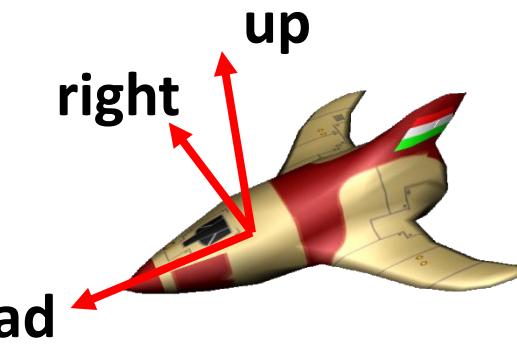
```
pos = center;                                // kezdetben fókuszált
lifetime = Rand(2, 1);

size = 0.001;                                 // kezdetben kicsi
dsize = Rand(0.5, 0.25) / lifetime;

velocity = Vector(Rand(0,0.4), Rand(0,0.4), Rand(0,0.4));
acceleration = Vector(Rand(0,1), Rand(0,1), Rand(0,1));

// Planck törvény: sárga átlátszatlanból vörös átlátszóba
color = Color(1, Rand(0.5, 0.25), 0, 1 );
dcolor = Color(0, -0.25, 0, -1) / lifetime;
```

Player



```
class Player : public Avatar, public Ship {  
    void ProcInput(bool keys[]) {  
        if ( keys[' '] ) // Fire!  
            objects.push_back(new Bullet(pos, velocity));  
  
        // Kormányzás: az avatár koordinátarendszerében!  
        vec3 head = normalize(velocity);  
        vec3 right = normalize(cross(wVup(), head));  
        vec3 up = cross(head, right);  
  
        if (keys[KEY_UP])      force -= up;  
        if (keys[KEY_DOWN])    force += up;  
        if (keys[KEY_LEFT])   force -= right;  
        if (keys[KEY_RIGHT])  force += right;  
    }  
};
```